Summary of Satellite Remote Sensing Concepts

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Satellite remote sensing of the Earth-atmosphere



Observations depend on

telescope characteristics (resolving power, diffraction) detector characteristics (signal to noise) communications bandwidth (bit depth) spectral intervals (window, absorption band) time of day (daylight visible) atmospheric state (T, Q, clouds) earth surface (Ts, vegetation cover)

Spectral Characteristics of Energy Sources and Sensing Systems



Terminology of radiant energy



Definitions of Radiation

QUANTITY	SYMBOL	UNITS
Energy	dQ	Joules
Flux	dQ/dt	Joules/sec = Watts
Irradiance	dQ/dt/dA	Watts/meter ²
Monochromatic Irradiance	dQ/dt/dA/dλ	W/m²/micron
	or	
	dQ/dt/dA/dv	W/m ² /cm ⁻¹
Radiance	$dQ/dt/dA/d\lambda/d\Omega$	W/m ² /micron/ster
	or	
	dQ/dt/dA/dv/dΩ	W/m²/cm ⁻¹ /ster

Using wavenumbers

$$c_2 v/T$$

B(v,T) = $c_1 v^3 / [e -1]$
(mW/m²/ster/cm⁻¹)

Using wavelengths

$$c_{2}/\lambda T$$

$$B(\lambda,T) = c_{1}/\{ \lambda^{5} [e -1] \}$$

$$(mW/m^{2}/ster/\mu m)$$

v(max in cm-1) = 1.95T

 $B(v_{max},T) \sim T^{**3}$.

$$E = \pi \int B(v,T) dv = \sigma T^{4},$$

$$O = \frac{c_{1}v^{3}}{C_{2}v/[\ln(\frac{-1}{2}+1)]}$$

 $\lambda(\text{max in cm})T = 0.2897$

B(λ_{max} ,T) ~ T**5.

$$E = \pi \int B(\lambda, T) d\lambda = \sigma T^{4},$$
o
$$C_{1}$$

$$T = c_{2} / [\lambda \ln(\frac{c_{1}}{\lambda^{5} B_{\lambda}} + 1)]$$

Spectral Distribution of Energy Radiated from Blackbodies at Various Temperatures







Normalized black body spectra representative of the sun (left) and earth (right), plotted on a logarithmic wavelength scale. The ordinate is multiplied by wavelength so that the area under the curves is proportional to irradiance.



Temperature Sensitivity of $B(\lambda,T)$ for typical earth temperatures







$B = N*B(T_{cold}) + (1-N)*B(T_{hot})$





Cloud edges and broken clouds appear different in 11 and 4 um images.

 $T(11)^{**}4=(1-N)^{*}Tclr^{**}4+N^{*}Tcld^{**}4\sim(1-N)^{*}300^{**}4+N^{*}200^{**}4$ $T(4)^{**}12=(1-N)^{*}Tclr^{**}12+N^{*}Tcld^{**}12\sim(1-N)^{*}300^{**}12+N^{*}200^{**}12$

Cold part of pixel has more influence for B(11) than B(4)

Solar (visible) and Earth emitted (infrared) energy



Incoming solar radiation (mostly visible) drives the earth-atmosphere (which emits infrared).

Over the annual cycle, the incoming solar energy that makes it to the earth surface (about 50 %) is balanced by the outgoing thermal infrared energy emitted through the atmosphere.

The atmosphere transmits, absorbs (by H2O, O2, O3, dust) reflects (by clouds), and scatters (by aerosols) incoming visible; the earth surface absorbs and reflects the transmitted visible. Atmospheric H2O, CO2, and O3 selectively transmit or absorb the outgoing infrared radiation. The outgoing microwave is primarily affected by H2O and O2.

R_{λ} $\mathbf{r}_{\!\lambda}\mathbf{R}_{\!\lambda}$ **'ENERGY** $-a_{\lambda}R_{\lambda} = R_{\lambda} - r_{\lambda}R_{\lambda} - \tau_{\lambda}R_{\lambda}$ CONSERVATION' $\tau_{\lambda} R_{\lambda}$ $\epsilon_{\lambda} B_{\lambda}(T)$

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Selective Absorption Atmosphere transmits visible and traps infrared

Incoming Outgoing IR solar

$$\downarrow E \qquad \uparrow (1-a_1) Y_{sfc} \uparrow Y_a$$

top of the atmosphere

$$\downarrow (1-a_{\rm s}) E \uparrow Y_{\rm sfc} \qquad \downarrow Y_{\rm a}$$

earth surface.

$$Y_{sfc} = \frac{(2-a_s)}{(2-a_L)} \quad E = \sigma T_{sfc}^4 \text{ thus if } a_s < a_L \text{ then } Y_{sfc} > E$$

Solar Spectrum



VIIRS, MODIS, FY-1C, AVHRR





Aerosol Size Distribution

There are **3 modes** :

- « nucleation »: radius is between 0.002 and 0.05 μ m. They result from combustion processes, photo-chemical reactions, etc.

- « accumulation »: radius is between 0.05 μm and 0.5 μm. Coagulation processes.

- « **coarse** »: larger than 1 μm. From mechanical processes like aeolian erosion.

« fine » particles (nucleation and accumulation) result from anthropogenic activities, coarse particles come from natural processes.



Aerosols over Ocean



• Radiance data in 6 bands (550-2130nm).

• Spectral radiances (LUT) to derive the aerosol size distribution

Two modes (accumulation 0.10-0.25µm; coarse1.0-2.5µm); ratio is a free parameter

•Radiance at 865µm to derive τ

Ocean products :

- The total Spectral Optical thickness
- The effective radius
- The optical thickness of small & large modes/ratio between the 2 modes











Investigating with Multi-spectral Combinations

Given the spectral response of a surface or atmospheric feature

Select a part of the spectrum where the reflectance or absorption changes with wavelength

e.g. reflection from grass

If 0.65 μm and 0.85 μm channels see the same reflectance than surface viewed is not grass; if 0.85 μm sees considerably higher reflectance than 0.65 μm then surface might be grass



NOTE: transect of BT11 through vegetated to non-vegetated areas in clear skies. – vegetated areas are warmer then the sea but cooler in BT then nonvegetated areas (displayed in RED)





Investigating with Multi-spectral Combinations

Given the spectral response of a surface or atmospheric feature

Select a part of the spectrum where the reflectance or absorption changes with wavelength

e.g. reflection from snow/ice

If 0.65 μm and 1.6 μm channels see the same reflectance than surface viewed is not snow; if 1.6 μm sees considerably lower reflectance than 0.65 μm then surface might be snow



NDSI = [r0.6-r1.6]/[r0.6+r1.6] is near one in snow in Alps

Meteosat-8 sees icing in clouds (Lutz et al)





Dust and Cirrus Signals



Imaginary Index of Refraction of Ice and Dust

Both ice and silicate absorption small in 1200 cm⁻¹ window
In the 800-1000 cm⁻¹ atmospheric window:

> Silicate index *increases* Ice index *decreases* with wavenumber

Volz, F.E. : Infrared optical constant of ammonium sulphate, Sahara Dust, volcanic pumice and flash, Appl Optics **12** 564-658 (1973)

SEVIRI sees dust storm over Africa



[BT8.6-BT11] changes sign from thin (transmitting) to thick (emitting) ice cloud







Given the spectral response of a surface or atmospheric feature

Select a part of the spectrum where the reflectance or absorption changes with wavelength

e.g. transmission through ash

If 11 μm sees the same or higher BT than 12 μm the atmosphere viewed does not contain volcanic ash; if 12 μm sees considerably higher BT than 11 μm then the atmosphere probably contains volcanic ash

Frank Honey, CSIRO 1980s



SEVIRI sees volcanic ash & SO2 and downwind inhibition of convection





X: c1:31, Y: c1:31, c2:32

temperatures (i.e. High in the atmosphere) and negative differences in band 31-32. The emissivity of desert at 12 μ m is higher than at 11 μ m, and hence BT(12 μ m) > BT(11 μ m) thus negative values. The red pixels are very arid regions

of the desert and are not ash clouds.
MODIS IR Spectral Bands



Absorption of the various atmospheric gases in the Infrared channels



 CO_2 absorption at 14.2 μ m

 H_2O absorption at 6.78 μm

 O_3 absorption at 9.70 μ m

The surface features cannot be distinguished in the CO_2 and H_2O absorption band. The transect shows that the radiance for CO_2 is always higher than H_2O which states that the weighing function caused by CO_2 absorption is lower than that caused by the H_2O absorption. In other words you could look deeper into the atmosphere at 14.2 µm than at 6.78 µm. The transect also shows that absorption by O_3 is less than H_2O and CO_2 as you can "see" deeper into the atmosphere.

GOES Sounder Spectral Bands: 14.7 to 3.7 um and vis

COOPERATIVE INSTITUTE FOR METEOROLOGICAL SATELLITE

STUDIES

CO2 channels see different layers in the atmosphere

14.2 um 13.9 um 13.6 um 13.3 um

Perpedicular at nadir

Limb darkening

Radiative Transfer Equation

When reflection from the earth surface is also considered, the RTE for infrared radiation can be written

$$I_{\lambda} = \epsilon_{\lambda}^{sfc} B_{\lambda}(T_s) \tau_{\lambda}(p_s) + \int_{p_s}^{0} B_{\lambda}(T(p)) F_{\lambda}(p) \left[\frac{d\tau_{\lambda}(p)}{dp} \right] dp$$

where

$$F_{\lambda}(p) \;=\; \{ \; 1 + (1 - \epsilon_{\lambda}) \; [\tau_{\lambda}(p_s) \,/\, \tau_{\lambda}(p)]^2 \; \}$$

The first term is the spectral radiance emitted by the surface and attenuated by the atmosphere, often called the boundary term and the second term is the spectral radiance emitted to space by the atmosphere directly or by reflection from the earth surface.

The atmospheric contribution is the weighted sum of the Planck radiance contribution from each layer, where the weighting function is [$d\tau_{\lambda}(p) / dp$]. This weighting function is an indication of where in the atmosphere the majority of the radiation for a given spectral band comes from.

Clear sky layers of temperature and moisture on 2 June 2001

Cloud Mask Tests

- BT11
- BT13.9
- BT6.7
- BT3.9-BT11
- BT11-BT12
- BT8.6-BT11
- BT6.7-BT11 or BT13.9-BT11
- BT11+aPW(BT11-BT12)
- r0.65
- r0.85
- r1.38
- r1.6
- r0.85/r0.65 or NDVI
- σ(BT11)

clouds over ocean high clouds high clouds broken or scattered clouds high clouds in tropics ice clouds clouds in polar regions clouds over ocean clouds over land clouds over ocean thin cirrus clouds over snow, ice cloud clouds over vegetation clouds over ocean

Ice clouds are revealed with BT8.6-BT11>0 & water clouds and fog show in r0.65

Moisture

Moisture attenuation in atmospheric windows varies linearly with optical depth.

$$\tau_{\lambda} = e \qquad = 1 - k_{\lambda} u$$

For same atmosphere, deviation of brightness temperature from surface temperature is a linear function of absorbing power. Thus moisture corrected SST can inferred by using split window measurements and extrapolating to zero k_{λ}

Moisture content of atmosphere inferred from slope of linear relation.

MODIS Instrument Overview

- 36 spectral bands (490 detectors) cover wavelength range from 0.4 to 14.5 μm
- Spatial resolution at nadir: 250m (2 bands), 500m (5 bands) and 1000m
- 4 FPAs: VIS, NIR, SMIR, LWIR
- On-Board Calibrators: SD/SDSM, SRCA, and BB (plus space view)
- 12 bit (0-4095) dynamic range
- 2-sided Paddle Wheel Scan Mirror scans 2330 km swath in 1.47 sec
- Day data rate = 10.6 Mbps; night data rate = 3.3 Mbps (100% duty cycle, 50% day and 50% night)

temperature weighting functions sorted by pressure of their peak (blue =

Instrument

- Hyperspectral radiometer with resolution of 0.5 2 cm⁻¹
- Extremely well calibrated pre-launch
- Spectral range: 650 2700 cm⁻¹
- Associated microwave instruments (AMSU, HSB)

Design

Grating Spectrometer passively cooled to 160K, stabilized to 30 mK

PV and PC HdCdTe focal plane cooled to 60K

with redundant active pulse tube cryogenic coolers

• Focal plane has ~5000 detectors, 2378 channels. PV detectors (all below 13 microns) are doubly redundant. Two channels per resolution element (n/Dn = 1200)

• 310 K Blackbody and space view provides radiometric calibration

• Paralyene coating on calibration mirror and upwelling radiation provides spectral calibration

•NEDT (per resolution element) ranges from 0.05K to 0.5K

AIRS On Aqua

Spectral filters at each entrance slit and over each FPA array isolate color band (grating order) of interest

Vibrational Lines

Rotational Lines

AIRS data from 28 Aug 2005

Sensitivity of High Spectral Resolution to Boundary Layer Inversions and Surface/atmospheric Temperature differences (from IMG Data, October, December 1996)

IASI sees low level inversion over land

Twisted Ribbon formed by CO₂ spectrum: Tropopause inversion causes On-line & off-line patterns to cross

Offline-Online in LW IRW showing low level moisture

Cld and clr spectra in CO2 absorption separate when weighting functions sink to cloud level

Radiation is governed by Planck's Law

$$c_2 / \lambda T$$

B(λ ,T) = $c_1 / \{ \lambda^5 [e -1] \}$

In microwave region $c_2/\lambda T \ll 1$ so that

$$c_2 / \lambda T$$

e = 1 + $c_2 / \lambda T$ + second order

And classical Rayleigh Jeans radiation equation emerges

 $\mathbf{B}_{\lambda}(\mathbf{T}) \approx [\mathbf{c}_1 / \mathbf{c}_2] [\mathbf{T} / \lambda^4]$

Radiance is linear function of brightness temperature.

Microwave Form of RTE

$$\frac{\text{ave Form of RTE}}{I^{\text{sfc}} = \varepsilon_{\lambda} B_{\lambda}(T_{s}) \tau_{\lambda}(p_{s}) + (1-\varepsilon_{\lambda}) \tau_{\lambda}(p_{s}) \int_{0}^{p_{s}} B_{\lambda}(T(p)) \frac{\partial \tau'_{\lambda}(p)}{\partial \ln p} d\ln p$$

$$I_{\lambda} = \varepsilon_{\lambda} B_{\lambda}(T_{s}) \tau_{\lambda}(p_{s}) + (1-\varepsilon_{\lambda}) \tau_{\lambda}(p_{s}) \int_{0}^{p_{s}} B_{\lambda}(T(p)) \frac{\partial \tau'_{\lambda}(p)}{\partial \ln p} d\ln p$$

$$+ \int_{p_{s}}^{0} B_{\lambda}(T(p)) \frac{\partial \tau_{\lambda}(p)}{\partial \ln p} d\ln p$$

$$\frac{\text{atm}}{f_{\lambda}(p)} d\ln p$$

$$\frac{d}{d} \ln p$$

$$\frac{d}{d} \ln p$$

In the microwave region $c_2/\lambda T$ << 1, so the Planck radiance is linearly proportional to the temperature

$$\mathbf{B}_{\lambda}(\mathbf{T}) \approx [\mathbf{c}_1 / \mathbf{c}_2] [\mathbf{T} / \lambda^4]$$

So

$$T_{b\lambda} = \varepsilon_{\lambda} T_{s}(p_{s}) \tau_{\lambda}(p_{s}) + \int_{p_{s}}^{0} T(p) F_{\lambda}(p) \frac{\partial \tau_{\lambda}(p)}{\partial \ln p} d \ln p$$

where

$$F_{\lambda}(p) = \left\{ 1 + (1 - \varepsilon_{\lambda}) \left[\frac{\tau_{\lambda}(p_s)}{\tau_{\lambda}(p)} \right]^2 \right\}.$$

Planck Tool

Scattering of MW radiation

Scattering regimes

FORWARD PROBLEM Physical basis

 T_B : brightness temperature f=10-160 GHz θ =0° to 50°

> $T_{B}(z,\theta,f)$ T_{Bms} **F**Be 0 \bigcirc \bigcirc 0 0 0 0 0 \bigcirc $T_{Bs} = e_s T_s$ 0 0 0 0 0 \bigcirc

> > e_s: surface emissivity T_s:surface temperature

 T_{Be} : emission T_B T_{Bms} : multiple scattering T_B

FORWARD PROBLEM Radiative transfer equation

 \square T_B in a plane-parallel medium: non-scattering case

$$\frac{dT_B(\tau,\Omega)}{d\tau} = -\underbrace{T_B(\tau,\Omega)}_{} + \underbrace{T(\tau)}_{}$$

Extinction Emission

⇒Ordinary differential equation: linearization of F ⇒ Inverse problem as a *Fredholm integral equation* (e.g., temperature retrieval)

TB in a plane-parallel medium: scattering case

$$\frac{dT_B(\tau,\Omega)}{d\tau} = -\frac{T_B(\tau,\Omega) + \frac{w}{4\pi} \int_{4\pi} p(\Omega,\Omega') T_B(\tau,\Omega) d\Omega' + (1-w)T(\tau)}{Extinction}$$
Bulliple scattering Emission

=> Integro-differential equation: strongly non-linear F (e.g., rainfall retrieval)

Precipitation in MW — Theory/Basis

Scattering signal

- ice in clouds scatters terrestrial radiation (cold areas over warm bckg)
 - o Rainfall rates are related to the magnitude of the resulting brightness temperature depression.
 - o **Strength**: can be applied to high-frequency channels: works over both land and ocean
 - o **Weakness**: poor at detecting precipitation clouds with little or no ice (e.g. warm orographic clouds in the tropics)

Emission signal

- water in clouds emits radiation, (warm areas over cold bckg, e.g. ocean)
 - o Rainfall rates are related to the magnitude of the resulting brightness temperature difference
 - o Strength: sensitive to clouds with little or no ice
 - o **Weakness**: must know terrestrial radiances without cloud beforehand; generally applicable over oceans but not land

 $Tb = \varepsilon s Ts (1-\sigma m) + \sigma m Tm + \sigma m (1-\varepsilon s) (1-\sigma m) Tm$

So

 $\Delta Tb = -\epsilon s \sigma m Ts + \sigma m Tm + \sigma m (1-\epsilon s) (1-\sigma m) Tm$

For $\epsilon_s \sim 0.5$ and T_s ~ T_m this is always positive for $0 < \sigma_m < 1$

MW split window has larger signal for low level moisture than IR split window

Accuracy of Satellite Derived Met Parameters

T(p) within 1.5 C of raobs for 1 km layers SST within 0.5 C of buoys Q(p) within 15-20% of raobs for 2 km layers TPW with 3 mm of ground based MW TO3 within 30 Dobsons of ozone profilers LI adjusted 3 C lower (for better agreement with raobs) gradients in space and time more reliable than absolute AMVs within 7 m/s (upper trop) and 5 m/s (lower trop) CTPs within 50 hPa of lidar determination Geopotential heights within 20 to 30 m for 500 to 300 hPa For TC, Psfc within 6 hPa and Vmax within 10 kts (from MW Δ T250) Trajectory forecast 72 hour error reduction about 10%


GOES-8 IMAGER 12UTC 02APR98

NOAA-12 AVHRR 12UTC 02APR98

<u>Comparison of geostationary (geo) and low earth orbiting (leo)</u> satellite capabilities

Geo

observes process itself (motion and targets of opportunity)

repeat coverage in minutes $(\Delta t \le 30 \text{ minutes})$

full earth disk only

best viewing of tropics

same viewing angle

differing solar illumination

visible, IR imager (1, 4 km resolution)

one visible band

IR only sounder (8 km resolution)

filter radiometer

diffraction more than leo

Leo

observes effects of process

repeat coverage twice daily $(\Delta t = 12 \text{ hours})$

global coverage

best viewing of poles

varying viewing angle

same solar illumination

visible, IR imager (1, 1 km resolution)

multispectral in visible (veggie index)

IR and microwave sounder (17, 50 km resolution)

filter radiometer, interferometer, and grating spectrometer

diffraction less than geo

HYperspectral viewer for Development of Research Applications - HYDRA ______MODIS,

MSG, GOES

Freely available software For researchers and educators Computer platform independent Extendable to more sensors and applications Based in VisAD (Visualization for Algorithm Development) Uses Jython (Java implementation of Python) runs on most machines 512MB main memory & 32MB graphics card suggested on-going development effort

Rink et al, BAMS 2007



AIRS, IASI, AMSU, CALIPSO

> Developed at CIMSS by Tom Rink Tom Whittaker Kevin Baggett

With guidance from Paolo Antonelli Liam Gumley Paul Menzel Allen Huang

CIMSS

http://www.ssec.wisc.edu/hydra/

For hydra http://www.ssec.wisc.edu/hydra/

For MODIS data and quick browse images http://rapidfire.sci.gsfc.nasa.gov/realtime

For MODIS data orders http://ladsweb.nascom.nasa.gov/

For DB MODIS from SSEC (2007 onwards) http://ge.ssec.wisc.edu/modis-today/

For AIRS data orders http://daac.gsfc.nasa.gov/

One week is not enough

You have made a good start – continue using HYDRA, inspecting data, and asking questions – you will master remote sensing applications and help monitor the environment for weather and climate signals