Applications with the Newest Multi-spectral Environmental Satellites

Lectures and Labs in Madison from 25 to 29 Mar 2013







Paul Menzel

RS Bootcamp Agenda for 25 – 29 March 2013 in Room 1411

Monday 9-11 am and 1-4 pm Planck function, BTs in mixels, Intro to HYDRA, reflected solar and thermal emission, 4 vs 11 um Tuesday 9 - 11 am and 1 - 4 pm RTE, land-ocean-atm spectral signatures in MODIS & VIIRS Wednesday 9 - 11 am and 1 - 4 pm Hyperspectral IR, MW Sounder, VIIRS, CrIS, & ATMS split window estimates of low level moisture. Thursday 1-4 pm Group projects on winter storm over USA on their own **Friday 9 – 11 am** Group presentations, Quiz, Summary Lecture.

Lectures am, Labs pm 180 min labs will include student presentations

Lectures and Labs

Lectures and laboratory exercises emphasize investigation of high spatial resolution visible and infrared data (from MODIS and VIIRS), high spectral resolution infrared data (from AIRS and CrIS), and microwave sounding data (AMSU and ATMS). Text for the classroom and a visualization tool for the labs are provided free; "Applications with Meteorological Satellites" is used as a resource text from ftp://ftp.ssec.wisc.edu/pub/menzel/ and HYDRA is used to interrogate and view multispectral data in the labs from http://www.ssec.wisc.edu/rink/hydra2. Homework assignments and classroom tests are administered to verify that good progress is being was made in learning and mastering the materials presented.



Applications with Meteorological Satellites is used as a resource text

It is available for free at *ftp://ftp.ssec.wisc.edu/pub/menzel/*

CHAPTER 1 - EVOLUTION OF SATELLITE METEOROLOGY

CHAPTER 2 - NATURE OF RADIATION *

CHAPTER 3 - ABSORPTION, EMISSION, REFLECTION, AND SCATTERING *

CHAPTER 4 - THE RADIATION BUDGET

CHAPTER 5 - THE RADIATIVE TRANSFER EQUATION (RTE) *

CHAPTER 6 - DETECTING CLOUDS *

CHAPTER 7 - SURFACE TEMPERATURE *

CHAPTER 8 - TECHNIQUES FOR DETERMINING ATMOSPHERIC PARAMETERS *

CHAPTER 9 - TECHNIQUES FOR DETERMINING ATMOSPHERIC MOTIONS

CHAPTER 10 - AN APPLICATION OF GEOSTATIONARY SATELLITE SOUNDING DATA

CHAPTER 11 - SATELLITE ORBITS

CHAPTER 12 - RADIOMETER DESIGN CONSIDERATIONS *

CHAPTER 13 - ESTABLISHING CLIMATE RECORDS FROM MULTISPECTRAL MODIS MEASUREMENTS

CHAPTER 14 - THE NEXT GENERATION OF SATELLITE SYSTEMS

CHAPTER 15 – INVESTIGATING LAND, OCEAN, AND ATMOSPHERE WITH MULTISPECTRAL

MEASUREMENTS *

* indicates chapters covered

References, problems sets, and quizzes are included in the Appendices

Agenda includes material from Chapters 2, 3, 5, 11, and 12

CHAPTER 2 - NATURE OF RADIATION

2.1	Remote Sensing of Radiation	2-1
2.2	Basic Units	2-1
2.3	Definitions of Radiation	2-2
2.5	Related Derivations	2-5
CHAPTER 3 - ABSORPTION, EMISSION, REFLECTION, AND SCATTERING		
3.1	Absorption and Emission	3-1
3.2	Conservation of Energy	3-1
3.3	Planetary Albedo	3-2
3.4	Selective Absorption and Emission	3-2
3.7	Summary of Interactions between Radiation and Matter	3-6
3.8	Beer's Law and Schwarzchild's Equation	3-7
3.9	Atmospheric Scattering	3-9
3.10	The Solar Spectrum	3-11
3.11	Composition of the Earth's Atmosphere	3-11
3.12	Atmospheric Absorption and Emission of Solar Radiation	3-11
3.13	Atmospheric Absorption and Emission of Thermal Radiation	3-12
3.14	Atmospheric Absorption Bands in the IR Spectrum	3-13
3.15	Atmospheric Absorption Bands in the Microwave Spectrum	3-14
3.16	Remote Sensing Regions	3-14
CHAPTER 5 - THE RADIATIVE TRANSFER EQUATION (RTE)		
5.1	Derivation of RTE	5-1
5.10	Microwave Form of RTE	5-28
CHAPTER	11 - SATELLITE ORBITS	
11.2	The Geostationary Orbit	11-2
11.5	Sunsynchronous Polar Orbit	11-4
CHAPTER 12 - RADIOMETER DESIGN CONSIDERATIONS		
12.3	Design Considerations	12-1

6

Lectures are given with powerpoint presentations



Material includes equations

Planck's Law

 $c_{2}/\lambda T$ $B(\lambda,T) = c_{1}/\lambda^{5}/[e -1] \quad (mW/m^{2}/ster/cm)$ where $\lambda = \text{ wavelengths in cm}$ T = temperature of emitting surface (deg K) $c_{1} = 1.191044 \text{ x 10-5 (mW/m^{2}/ster/cm^{-4})}$ $c_{2} = 1.438769 \text{ (cm deg K)}$

Wien's Law $dB(\lambda_{max},T) / d\lambda = 0$ where $\lambda(max) = .2897/T$ indicates peak of Planck function curve shifts to shorter wavelengths (greater wavenumbers)with temperature increase. Note $B(\lambda_{max},T) \sim T^5$.

Stefan-Boltzmann Law
$$E = \pi \int_{0}^{\infty} B(\lambda,T) d\lambda = \sigma T^4$$
, where $\sigma = 5.67 \times 10^{-8} \text{ W/m}^2/\text{deg}^4$.

states that irradiance of a black body (area under Planck curve) is proportional to T^4 .

Brightness Temperature

$$T = c_2 / \left[\lambda \ln(\frac{c_1}{-+} + 1) \right]$$
 is determined by inverting Planck function
$$\frac{\lambda^5 B_{\lambda}}{8}$$

And some derivations,

$$\begin{split} I_{\lambda} \; = \; \epsilon_{\lambda}{}^{sfc} \; B_{\lambda}(T(p_s)) \; \tau_{\lambda}(p_s) + \Sigma \; \epsilon_{\lambda}(\Delta p) \; B_{\lambda}(T(p)) \; \tau_{\lambda}(p) \\ p \end{split}$$

The emissivity of an infinitesimal layer of the atmosphere at pressure p is equal to the absorptance (one minus the transmittance of the layer). Consequently,

$$\epsilon_{\lambda}(\Delta p) \ \tau_{\lambda}(p) \ = \ \left[1 \ \text{-} \ \tau_{\lambda}(\Delta p)\right] \ \tau_{\lambda}(p)$$

Since transmittance is an exponential function of depth of absorbing constituent,

$$\tau_{\lambda}(\Delta p) \tau_{\lambda}(p) = \exp \left[\begin{array}{cc} -\int & k_{\lambda} q \ g^{-1} \ dp \right] * \exp \left[\begin{array}{cc} -\int & p \\ \int & k_{\lambda} q \ g^{-1} \ dp \right] = \tau_{\lambda}(p + \Delta p)$$

$$p \qquad \qquad o$$

Therefore

$$\epsilon_\lambda(\Delta p) \; \tau_\lambda(p) \; = \; \tau_\lambda(p) \; - \; \tau_\lambda(p + \Delta p) \; = \; - \; \Delta \tau_\lambda(p) \; .$$

So we can write

$$\begin{split} I_\lambda \ = \ \epsilon_\lambda{}^{sfc} \ B_\lambda(T(p_s)) \ \tau_\lambda(p_s) - \Sigma \ B_\lambda(T(p)) \ \Delta \tau_\lambda(p) \ . \\ p \\ \end{split}$$
 which when written in integral form reads

$$\begin{split} I_{\lambda} \ &= \epsilon_{\lambda}{}^{sfc} \ B_{\lambda}(T(p_s)) \ \tau_{\lambda}(p_s) \ - \int\limits_{O}^{p_s} \ B_{\lambda}(T(p)) \ [\ d\tau_{\lambda}(p) \ / \ dp \] \ dp \ . \end{split}$$



HYperspectral viewer for Development of Research Applications – HYDRA2

Freely available gui-driven software For researchers and educators Computer platform independent Extendable to more sensors and applications Uses Java-based technologies Interactive, high-performance 2D/3D animations derived from SSEC VisAD api On-going development effort





MODIS, VIIRS, CrIS, ATMS

Developed at CIMSS by Tom Rink

> With programming support from Tommy Jasmin, Ghansham Sangar (ISRO)

With guidance from Liam Gumley Kathy Strabala Paul Menzel



ftp://ftp.ssec.wisc.edu/rink/HYDRA2

HYperspectral viewer for Development of Research Applications - HYDRA

MSG, GOES

Freely available software For researchers and educators Computer platform independent Extendable to more sensors and applications Based in VisAD (Visualization for Algorithm Development) Uses Jython (Java implementation of Python) runs on most machines

Rink et al, BAMS 2007



MODIS, AIRS, IASI, AMSU, CALIPSO

Developed at CIMSS by Tom Rink Tom Whittaker Kevin Baggett

With guidance from Paolo Antonelli Liam Gumley Paul Menzel Allen Huang



http://www.ssec.wisc.edu/hydra/

View remote sensing data with HYDRA2



VIIRS and CrIS

ATMS



Access to visualization tools and data

For hydra2 ftp://ftp.ssec.wisc.edu/rink/hydra2/

For MODIS data and quick browse images http://rapidfire.sci.gsfc.nasa.gov/realtime

For MODIS data http://ladsweb.nascom.nasa.gov/

For AIRS data http://daac.gsfc.nasa.gov/

For VIIRS, CrIS, and ATMS data, orbit tracks, guide http://www.nsof.class.noaa.gov http://www.ssec.wisc.edu/datacenter/npp/ http://www.class.ncdc.noaa.gov/notification/faq_npp.htm See tutorial "How do I order NPP data in CLASS (11/28/11)"

Orbits and Instruments

Lectures in Madison 25 Mar 2013

Paul Menzel UW/CIMSS/AOS



GOES-8 IMAGER 12UTC 02APR98

NOAA-12 AVHRR 12UTC 02APR98









Polar (LEO) & Geostationary (GEO) Orbits



Geo Orbit

Let us continue our discussion of the circular orbit. Using the definition of angular velocity $\omega = 2\pi/\tau$ where τ is the period of the orbit, then

2

becomes

$$GMm/r^2 = m\omega^2 r$$
$$GM/r^3 = 4\pi^2/\tau^2 .$$

For the geostationary orbit, the period of the satellite matches the rotational period of the earth so that the satellite appears to stay in the same spot in the sky. This implies that $\tau =$ 24 hours = $8.64 \times 10^{**4}$ seconds, and the associated radius of the orbit r = $4.24 \times 10^{**7}$ meters or a height of about 36,000 km. The geostationary orbit is possible at only one orbit radius.

Leo Orbit

For a polar circular orbit with $\tau = 100$ minutes = $6 \times 10^{**}4$ seconds, we get $r = 7.17 \times 10^{**6}$ metres or a height of about 800 km. Polar orbits are not confined to a unique radius, however the type of global coverage usually suggests a range of orbit radii.



Orbital elements for an elliptical orbit showing the projection of the orbit on the surface of a spherical earth. C is the centre of the earth and R is the equatorial radius. i is the inclination of the orbit relative to the equatorial plane, Ω is the right ascension of the ascending node with respect to Aries, a is the semi-major axis of the ellipse, ε is the eccentricity, w is the argument of the perigee, and Θ is the angular position of the satellite in its orbit.



The orientation of the satellite orbit plane is described by (a) the inclination of the satellite orbit plane with respect to the earth equatorial plane denoted by I, and (b) the right ascension of the ascending node, Ω , measured eastwards relative to Aries (representing a fixed point in the heavens). The shape and size of the satellite orbit is given by (c) the semi-major axis of the ellipse denoted by a, and (d) the eccentricity of the ellipse, denoted by ϵ . The orientation of the orbit in the orbit plane is given by (e) the argument of the perigee or the angle between the ascending node and the perigee denoted by w. And finally (f) θ denotes the angular position of the satellite in its orbit. These are the six orbital elements that are necessary to calculate the trajectory of the satellite in its orbit

Effects of Non-spherical Earth

The earth's gravitational field is not that of a point mass, rather it is the integrated sum over the bulging earth. The potential energy for a satellite of mass m a distance r from the centre of mass of the earth is written

where the integration is over the mass increment dM of the earth which is a distance s from the satellite. This integration yields a function in the form

$$PE = -GMm/r [1 - \sum J_n (R/r)^n P_n(\cos\theta)]$$

where the J_n are coefficients of the nth zonal harmonics of the earths gravitational potential energy and the P_n (cos θ) are Legendre polynomials defined by

$$P_n(x) = \frac{1}{n2^n} \frac{d^n}{dx^n} [(x^2-1)^n].$$

The most significant departure from the spherically symmetric field comes from the n=2 term, which corrects for most of the effects of the equatorial bulge. Therefore

$$PE = -GMm/r [1 - J_2 (R/r)^2 (3\cos^2\theta - 1)/2 + ...]$$

where $J_2 = 1082.64 \times 10^{**}$ -6. At the poles $P_2 = 2$ and at the equator $P_2 = -1$. The coefficients for the higher zonal harmonics are three orders of magnitude reduced from the coefficient of the second zonal harmonic.

Equatorial bulge primarily makes the angle of the ascending node vary with time.

Sun-synchronous Polar Orbit

The equatorial bulge primarily makes the angle of the ascending node vary with time. The variation is given by

$$d\Omega/dt = -3/2 J_2 (GM)^{1/2} R^2 a^{-7/2} (1-\epsilon^2)^{-2} \cos i$$

Through suitable selection of the orbital inclination i, the rotation of the orbital plane can be made to match the rotation of the earth around the sun, yielding an orbit that is sun synchronous. The negative sign indicates a retrograde orbit, one with the satellite moving opposite to the direction of the earths rotation. The rotation rate for sun synchronous orbit is given by

 $\Omega = 2\pi/365.24$ radians/year = 2 x 10⁻⁷ rad/sec.

which is approximately one degree per day. Such a rate is obtained by placing the satellite into an orbit with a suitable inclination; for a satellite at a height of 800 km (assuming the orbit is roughly circular so that a = r), we find i = 98.5 degrees which is a retrograde orbit inclined at 81.5 degrees. The inclination for sun synchronous orbits is only a weak function of satellite height; the high inclination allows the satellite to view almost the entire surface of the earth from pole to pole.

Space-based Global Observing System 2012









Leo coverage of poles every 100 minutes



32

Tracking Polar Atmospheric Motion from Leo Obs



33

Getting to Geostationary Orbit



Observations from geostationary orbit



"the weather moves - not the satellite" Verner Suomi


One minute imaging over Florida



SEVIRI sees dust storm over Africa



Five geos are providing global coverage for winds in tropics and mid-lats



<u>Comparison of geostationary (geo) and low earth orbiting (leo)</u> <u>satellite capabilities</u>

Geo

observes process itself (motion and targets of opportunity)

repeat coverage in minutes $(\Delta t \le 15 \text{ minutes})$

near full earth disk

best viewing of tropics & mid-latitudes

same viewing angle

differing solar illumination

visible, NIR, IR imager (1, 4 km resolution)

IR only sounder (8 km resolution)

filter radiometer

diffraction more than leo

Leo

observes effects of process

repeat coverage twice daily $(\Delta t = 12 \text{ hours})$

global coverage

best viewing of poles

varying viewing angle

same solar illumination

visible, NIR, IR imager (1, 1 km resolution)

IR and microwave sounder (1, 17, 50 km resolution)

filter radiometer, interferometer, and grating spectrometer

diffraction less than geo

Leo Observations

Terra was launched in 1999 and the EOS Era began

MODIS, CERES, MOPITT, ASTER, and MISR reach polar orbit

> Aqua and ENVISAT followed in 2002

MODIS and MERIS to be followed by VIIRS AIRS and IASI to be followed by CrIS AMSU leading to ATMS





Launch of EOS-Terra (EOS-AM) Satellite - A New Era Begins





Launch date: December 18, 1999, 1:57 PT Earth viewdoor open date: February 24, 2001



MODIS instrument Specifications:

Bands 1-2 (0.66,0.86 μm): 250 m

Bands 3-7 (0.47, 0.55, 1.24, 1.64, 2.13 μm): 500 m

Bands 8-36: 1 km

Allen Chu/NASA GSFC



Followed by the launch of EOS-Aqua (EOS-PM) Satellite







Launch date: May 4, 2002, 2:55 PDT Earth view door open date: June 25, 2002



Joint Polar System

Welcome METOP Congratulations ESA / EUMETSAT



MetOp-A Launch on 19 October, 16h28 UTC Soyuz 2-1a, Baikonour

Suomi National Polar-orbiting Partnership (NPP) launched 28 Oct 2011







NPP was re-named Suomi NPP on 24 Jan 2012

SNPP/JPSS Instruments

JPSS Instrument		Measurement	NOAA Heritage	NASA Heritage
	ATMS	ATMS and CrIS together provide profiles of high vertical resolution atmospheric temperature and water vapor information	AMSU	AMSU
	CrIS		HIRS	AIRS
	VIIRS	Provides daily high-resolution imagery and radiometry across the visible to long- wave infrared spectrum for a multitude of environmental assessments	AVHRR	MODIS
	OMPS	Spectrometers with UV bands for ozone total column measurements	SBUV-2	OMI
	CERES	Scanning radiometer which supports studies of Earth Radiation Budget		CERES

Atmospheric Products: Examples

Winds



Total Water Vapor



Temperature 500 mb



Rain Rate



Ozone



Aerosol Optical Thickness



Land Surface Products: Examples

Vegetation Health



Ocean Products: Examples

SST Anomalies

Hot Spots: Potential Coral Bleaching

NOAA/NESDIS 50km SST - Maximum Monthly Climatology (C), 6/24/2002





Remote Sensing Advantages

* provides a regional view

* enables one to observe & measure the causes & effects of climate & environmental changes (both natural & human-induced)

- * provides repetitive geo-referenced looks at the same area
- * covers a broader portion of the spectrum than the human eye
- * can focus in on a very specific bandwidth in an image
- * can also look at a number of bandwidths simultaneously
- * operates in all seasons, at night, and in bad weather

Intro to VIS-IR Radiation

Lectures in Madison 25 March 2013

Paul Menzel UW/CIMSS/AOS

Relevant Material in Applications of Meteorological Satellites

≻	 CHAPTER 2 - NATURE OF RADIATION 		
	2.1	Remote Sensing of Radiation	2-1
	2.2	Basic Units	2-1
	2.3	Definitions of Radiation	2-2
	2.5	Related Derivations	2-5
	CHAPTER	R 3 - ABSORPTION, EMISSION, REFLECTION, AND SCATTERING	
	3.1	Absorption and Emission	3-1
	3.2	Conservation of Energy	3-1
	3.3	Planetary Albedo	3-2
	3.4	Selective Absorption and Emission	3-2
	3.7	Summary of Interactions between Radiation and Matter	3-6
	3.8	Beer's Law and Schwarzchild's Equation	3-7
	3.9	Atmospheric Scattering	3-9
	3.10	The Solar Spectrum	3-11
	3.11	Composition of the Earth's Atmosphere	3-11
	3.12	Atmospheric Absorption and Emission of Solar Radiation	3-11
	3.13	Atmospheric Absorption and Emission of Thermal Radiation	3-12
	3.14	Atmospheric Absorption Bands in the IR Spectrum	3-13
	3.15	Atmospheric Absorption Bands in the Microwave Spectrum	3-14
	3.16	Remote Sensing Regions	3-14
	CHAPTER	R 5 - THE RADIATIVE TRANSFER EQUATION (RTE)	
	5.1	Derivation of RTE	5-1
	5.10	Microwave Form of RTE	5-28

Satellite remote sensing of the Earth-atmosphere



Observations depend on

telescope characteristics (resolving power, diffraction) detector characteristics (field of view, signal to noise) communications bandwidth (bit depth) spectral intervals (window, absorption band) time of day (daylight visible) atmospheric state (T, Q, clouds) earth surface (Ts, vegetation cover)

Electromagnetic spectrum



Spectral Characteristics of Energy Sources and Sensing Systems



56

Definitions of Radiation

QUANTITY	SYMBOL	UNITS
Energy	dQ	Joules
Flux	dQ/dt	Joules/sec = Watts
Irradiance	dQ/dt/dA	Watts/meter ²
Monochromatic Irradiance	dQ/dt/dA/dλ	W/m ² /micron
maulance	or	
	dQ/dt/dA/dv	W/m ² /cm ⁻¹
Radiance	dQ/dt/dA/dλ/dΩ	W/m ² /micron/ster
	or	
	dQ/dt/dA/dv/dΩ	W/m²/cm ⁻¹ /ster

Using wavelengths

 $c_2/\lambda T$

Planck's Law

 $B(\lambda,T) = c_1 / \lambda^5 / [e -1] \quad (mW/m^2/ster/cm)$

where

$$\lambda = \text{ wavelengths in cm}$$

$$T = \text{temperature of emitting surface (deg K)}$$

$$c_1 = 1.191044 \text{ x } 10\text{-}5 \text{ (mW/m^2/ster/cm^{-4})}$$

$$c_2 = 1.438769 \text{ (cm deg K)}$$

Wien's Law $dB(\lambda_{max},T) / d\lambda = 0$ where $\lambda(max) = .2897/T$ indicates peak of Planck function curve shifts to shorter wavelengths (greater wavenumbers)with temperature increase. Note $B(\lambda_{max},T) \sim T^5$.

Stefan-Boltzmann Law $E = \pi \int B(\lambda,T) d\lambda = \sigma T^4$, where $\sigma = 5.67 \times 10-8 \text{ W/m2/deg4}$.

states that irradiance of a black body (area under Planck curve) is proportional to T^4 .

Brightness Temperature

$$T = c_2 / \left[\lambda \ln(\frac{c_1}{--} + 1) \right] \text{ is determined by inverting Planck function} \frac{\lambda^5 B_{\lambda}}{58}$$

Spectral Distribution of Energy Radiated from Blackbodies at Various Temperatures



Planck Tool







Using wavenumbers

Planck's Law where C_2v/T $B(v,T) = c_1v^3/[e -1] (mW/m^2/ster/cm^{-1})$ v = # wavelengths in one centimeter (cm-1) T = temperature of emitting surface (deg K) $c_1 = 1.191044 \times 10-5 (mW/m^2/ster/cm^{-4})$ $c_2 = 1.438769 (cm deg K)$

Wien's Law $dB(v_{max},T) / dv = 0$ where v_{max}) = 1.95T

indicates peak of Planck function curve shifts to shorter wavelengths (greater wavenumbers) with temperature increase.

Stefan-Boltzmann Law $E = \pi \int_{0}^{\infty} B(v,T) dv = \sigma T^4$, where $\sigma = 5.67 \times 10^{-8} \text{ W/m}^2/\text{deg}^4$.

states that irradiance of a black body (area under Planck curve) is proportional to T^4 .

Brightness Temperature

$$\Gamma = c_2 v / [ln(---+1)] \text{ is determined by inverting Planck function} B_v$$
⁶²

Using wavenumbers

$$c_2 v/T$$

B(v,T) = $c_1 v^3 / [e -1]$
(mW/m²/ster/cm⁻¹)

v(max in cm-1) = 1.95T

 $B(v_{\text{max}},T) \sim T^{**3}.$

$$E = \pi \int B(v,T) dv = \sigma T^{4},$$

$$O = \frac{c_{1}v^{3}}{C_{2}v/[\ln(-+1)]}$$

$$B_{v}$$



Using wavelengths

 $c_{2}/\lambda T$ $B(\lambda,T) = c_{1}/\{ \lambda^{5} [e -1] \}$ $(mW/m^{2}/ster/\mu m)$

 $\lambda(\max \text{ in cm})T = 0.2897$

B(λ_{max} ,T) ~ T**5.



63

Planck Tool





Temperature Sensitivity of $B(\lambda,T)$ for typical earth temperatures





(Approximation of) B as function of α and T

$\Delta B/B = \alpha \Delta T/T$

Integrating the Temperature Sensitivity Equation Between T_{ref} and T (B_{ref} and B):

$$B=B_{ref}(T/T_{ref})^{\alpha}$$

Where $\alpha = c_2 v / T_{ref}$ (in wavenumber space)



The temperature sensitivity indicates the power to which the Planck radiance depends on temperature, since B proportional to T^{α} satisfies the equation. For infrared wavelengths,

 $\alpha = c_2 \nu / T = c_2 / \lambda T.$

Wavenumber	Typical Scene Temperature	Temperature Sensitivity	
900	300	4.32 67	
2500	300	11.99	



Non-Homogeneous FOV

For NON-UNIFORM FOVs:

 $B_{obs} = NB_{cold} + (1-N)B_{hot}$

$$B_{obs} = N B_{ref} (T_{cold}/T_{ref})^{\alpha} + (1-N) B_{ref} (T_{hot}/T_{ref})^{\alpha}$$



$$B_{obs} = B_{ref} (1/T_{ref})^{\alpha} (N T_{cold}^{\alpha} + (1-N)T_{hot}^{\alpha})$$

For N=.5

$$B_{obs}/B_{ref} = .5 (1/T_{ref})^{\alpha} (T_{cold}^{\alpha} + T_{hot}^{\alpha})$$

 $B_{obs}/B_{ref} = .5 (1/T_{ref}T_{cold})^{\alpha} (1 + (T_{hot}/T_{cold})^{\alpha})$

The greater α the more predominant the hot term

At 4 μ m (α =12) the hot term more dominating than at 11 μ m (α =4)



Cloud edges and broken clouds appear different in 11 and 4 um images.

 $T(11)^{**}4 = (1-N)^{*}Tclr^{**}4 + N^{*}Tcld^{**}4 \sim (1-N)^{*}300^{**}4 + N^{*}200^{**}4$ $T(4)^{**}12 = (1-N)^{*}Tclr^{**}12 + N^{*}Tcld^{**}12 \sim (1-N)^{*}300^{**}12 + N^{*}200^{**}12$

Cold part of pixel has more influence for B(11) than B(4)

Relevant Material in Applications of Meteorological Satellites

CHAPTER 2 - NATURE OF RADIATION 2.1 **Remote Sensing of Radiation** 2-1 2.2 **Basic Units** 2-1 **Definitions of Radiation** 2.3 2-2 **Related Derivations** 2.5 2-5 CHAPTER 3 - ABSORPTION, EMISSION, REFLECTION, AND SCATTERING 3.1 Absorption and Emission 3-1 3.2 **Conservation of Energy** 3-1 Planetary Albedo 3.3 3-2 Selective Absorption and Emission 3.4 3-2 3.7 Summary of Interactions between Radiation and Matter 3-6 Beer's Law and Schwarzchild's Equation 3.8 3-7 3.9 Atmospheric Scattering 3-9 3.10 The Solar Spectrum 3-11 3.11 Composition of the Earth's Atmosphere 3-11 Atmospheric Absorption and Emission of Solar Radiation 3.12 3-11 3.13 Atmospheric Absorption and Emission of Thermal Radiation 3-12 Atmospheric Absorption Bands in the IR Spectrum 3.14 3-13 3.15 Atmospheric Absorption Bands in the Microwave Spectrum 3-14 3.16 **Remote Sensing Regions** 3-14 CHAPTER 5 - THE RADIATIVE TRANSFER EQUATION (RTE)

5.1	Derivation of RTE	5-1
5.10	Microwave Form of RTE	5-28

Solar (visible) and Earth emitted (infrared) energy



Incoming solar radiation (mostly visible) drives the earth-atmosphere (which emits infrared).

Over the annual cycle, the incoming solar energy that makes it to the earth surface (about 50 %) is balanced by the outgoing thermal infrared energy emitted through the atmosphere.

The atmosphere transmits, absorbs (by H2O, O2, O3, dust) reflects (by clouds), and scatters (by aerosols) incoming visible; the earth surface absorbs and reflects the transmitted visible. Atmospheric H2O, CO2, and O3 selectively transmit or absorb the outgoing infrared radiation. The outgoing microwave is primarily affected by H2O and O2.
Spectral Characteristics of Atmospheric Transmission and Sensing Systems







Normalized black body spectra representative of the sun (left) and earth (right), plotted on a logarithmic wavelength scale. The ordinate is multiplied by wavelength so that the area under the curves is proportional to irradiance. 75





BT11=290K and BT4=310K. What fraction of R4 is due to reflected solar radiance?

```
R4 = R4 \text{ refl} + R4 \text{ emiss}BT4 \text{ emiss} = BT11R4 \sim T^{**}12
```

Fraction = $[310^{**}12 - 290^{**}12]/310^{**}12 \sim .55$



SW minus LW IRW



Infrared (Emissive Bands)

Radiative Transfer Equation in the IR



Emission, Absorption, Reflection, and Scattering

Blackbody radiation B_{λ} represents the upper limit to the amount of radiation that a real substance may emit at a given temperature for a given wavelength.

Emissivity ε_{λ} is defined as the fraction of emitted radiation R_{λ} to Blackbody radiation,

$$\varepsilon_{\lambda} = R_{\lambda} / B_{\lambda}$$
.

In a medium at thermal equilibrium, what is absorbed is emitted (what goes in comes out) so

 $a_{\lambda} = \varepsilon_{\lambda}$.

Thus, materials which are strong absorbers at a given wavelength are also strong emitters at that wavelength; similarly weak absorbers are weak emitters.

If a_{λ} , r_{λ} , and τ_{λ} represent the fractional absorption, reflectance, and transmittance, respectively, then conservation of energy says

$$a_{\lambda} + r_{\lambda} + \tau_{\lambda} = 1$$
 .

For a blackbody $a_{\lambda} = 1$, it follows that $r_{\lambda} = 0$ and $\tau_{\lambda} = 0$ for blackbody radiation. Also, for a perfect window $\tau_{\lambda} = 1$, $a_{\lambda} = 0$ and $r_{\lambda} = 0$. For any opaque surface $\tau_{\lambda} = 0$, so radiation is either absorbed or reflected $a_{\lambda} + r_{\lambda} = 1$.

At any wavelength, strong reflectors are weak absorbers (i.e., snow at visible wavelengths), and weak reflectors are strong absorbers (i.e., asphalt at visible wavelengths). 81

- $a_{\lambda}R_{\lambda} = R_{\lambda} - r_{\lambda}R_{\lambda} - \tau_{\lambda}R_{\lambda}$ 'ENERGY CONSERVATION'

 $\mathbf{r}_{\!\lambda}\mathbf{R}_{\!\lambda}$

 $\tau_{\lambda} \mathsf{R}_{\lambda}$

R

 $\epsilon_{\lambda}\mathsf{B}_{\lambda}(\mathsf{T})$

82

Transmittance

Transmission through an absorbing medium for a given wavelength is governed by the number of intervening absorbing molecules (path length u) and their absorbing power (k_{λ}) at that wavelength. Beer's law indicates that transmittance decays exponentially with increasing path length

$$\tau_{\lambda} (z \to \infty) = e^{-k_{\lambda} u(z)}$$

where the path length is given by $u(z) = \int_{-\infty}^{\infty} \rho dz$.

 k_{λ} u is a measure of the cumulative depletion that the beam of radiation has experienced as a result of its passage through the layer and is often called the optical depth σ_{λ} .

Z

Realizing that the hydrostatic equation implies $g \rho dz = -q dp$

where q is the mixing ratio and ρ is the density of the atmosphere, then

$$\begin{array}{ll} \mathsf{u}(\mathsf{p}) = \int\limits_{\mathsf{o}}^{\mathsf{p}} \mathsf{q} \, \mathsf{g}^{-1} \, \mathsf{d}\mathsf{p} & \text{and} & \tau_{\lambda} \, (\mathsf{p} \to \mathsf{o} \,) = \, \mathsf{e}^{-\, \mathsf{k}_{\lambda} \, \mathsf{u} \, (\mathsf{p})} \\ \end{array} \\ \end{array}$$

Spectral Characteristics of Atmospheric Transmission and Sensing Systems





Aerosol Size Distribution

There are 3 modes :

- « nucleation »: radius is between 0.002 and 0.05 μ m. They result from combustion processes, photo-chemical reactions, etc.

- « accumulation »: radius is between 0.05 μm and 0.5 μm. Coagulation processes.

- « **coarse** »: larger than 1 μm. From mechanical processes like aeolian erosion.

« fine » particles (nucleation and accumulation) result from anthropogenic activities, coarse particles come from natural processes.



Measurements in the Solar Reflected Spectrum across the region covered by AVIRIS



AVIRIS Movie #1

AVIRIS Image - Linden CA 20-Aug-1992 224 Spectral Bands: 0.4 - 2.5 μm Pixel: 20m x 20m Scene: 10km x 10km





AVIRIS Movie #2

AVIRIS Image - Porto Nacional, Brazil 20-Aug-1995 224 Spectral Bands: 0.4 - 2.5 μm Pixel: 20m x 20m Scene: 10km x 10km



